Year 13 A-Level **Mathematics**

(Pure)

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+ 12.5 + 6.25

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v

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 $\frac{1}{x}dx = \left(\frac{1}{x}\right)x - \int x \left(\frac{-1}{x^2}\right)dx$

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 $du = \frac{-1}{x^2} dx$

v = X dr

Algebraic Methods

- **Proof by contradiction**
- **Algebraic fractions Partial fractions**
- **Repeated factors** Algebraic division

Sequences and Series

- Arithmetic sequences
- Arithmetic series
- Geometric sequences
- Geometric series
- Sum to infinity
- Sigma notation
- **Recurrence relations**
- Modelling with series

Radians

- Radian measure
- Arc length
- Areas of sectors and segments
- Solving trigonometric equations
- Small angle approximations

Parametric equations

- Parametric equations
- Using trigonometric identities
- **Curve sketching**
- **Points Of intersection**
- Modelling with parametric equations

Differentiation

- Differentiating sinx and cosx
- Differentiating exponentials and logarithms
- The chain rule
- The product rule
- The quotient rule
- Differentiating trigonometric functions
- Parametric differentiation
- Implicit differentiation
- Using second derivatives
- Rates of change

Integration

- Integrating standard functions
- Integrating f(ax + b)
- Using trigonometric identities
- **Reverse chain rule**
- Integration by substitution
- Integration by parts
- **Partial fractions**
- **Finding areas**
- The trapezium rule
- Solving differential equations
- Modelling with differential equations

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Functions and Graphs

- The modulus function
- **Functions and mappings**
- **Composite functions**
- Inverse functions
- Y = |f(x)| and y = f(|x|)
- **Combining transformations**
- Solving modulus problems

Binomial Expansion

- Expanding (1 + x)ⁿ
- Expanding (a + bx)ⁿ
- Using partial fractions

Trigonometric Functions

- Secant, cosecant, cotangent
- Graphs of secx cosecx and cotx
- Using secx, cosecx and cotx
- **Trigonometric identities**
- Inverse trigonometric functions

Trigonometry and modelling

- Addition formulae
- Using the angle addition formulae
- Double-angle formulae
- Solving trigonometric
 - eauations
- Simplifying acosx ± bsinx
- Proving trigonometric identities
- Modelling with trigonometric

Numerical Methods

- Locating roots
- Iteration
- The Newton-Raphson method
- Applications to modelling

Vectors

- **3D coordinates**
- Vectors in 3D
- Solving geometric problems
- **Application to mechanics**

Final A-Level Examinations

1x+1y

 $(4 + 4x^3y^1 + 6x^2y^2 + 4x^1y^3 + 1)$

 $1x^2 + 2x^1y^1 + 1y^2$ $1x^3 + 3x^2y^1 + 3x^1y^2 + 1y^3$

3.2.1